



Figure 1. Absorption constant K and its change ΔK under stress versus photon energy for $\text{KCl}:\text{Ag}^+$.

of aggregate centres the sample was irradiated for a few minutes at about 100°C above the melting point and then cooled to room temperature.

The upper part of Fig. 1 shows the UV absorption spectrum of $\text{NaCl}:\text{Cu}^+$ at 77°K. The main absorption band, called the D-band, corresponds to the transition $I_1^+ \rightarrow I_3^+$. In the small energy region, called the A-band, the transitions $I_1^+ \rightarrow I_3^+$ and $I_1^+ \rightarrow I_5^-$ contribute to the absorption. I_3^+ and I_5^- denote the transformation of the unperturbed electronic states of the defect under the elements of the group O_h . When uniaxial stress

is applied, the oscillator strength $f_{\parallel} - f_{\perp}$ normalized to the unperturbed oscillator strength f plotted versus temperature

is applied to the crystal the absorption constants K_{\parallel} and K_{\perp} measured with light polarized parallel and perpendicular to the stress axis are different. This difference $\Delta K = K_{\parallel} - K_{\perp}$ is plotted versus spectral energy for [001] stress in the lower part of Fig. 1. A comparison of $\Delta K(E)$ with the absorption spectrum $K(E)$ in the upper part of Fig. 1 shows that the change of the oscillator strength under applied stress is the dominant effect, whereas a shift of the bands due to a splitting of the excited states is negligible. ΔK is a linear function of the stress. We also note that ΔK differs in sign for the two bands.

Fig. 3 summarizes the temperature dependence of the stress effects. The oscillator strength $f(T)$ for a single band is found from a Gauss-curve analysis using the data of Fußgänger [1]. We find that $\Delta f/f = (f_{\parallel} - f_{\perp})/f$ has the same sign for corresponding bands in $\text{NaCl}:\text{Cu}^+$ and $\text{KCl}:\text{Ag}^+$. To explain sign and temperature dependence of $\Delta f/f$ we will discuss three effects: 1. a frequency splitting of the far IR resonance mode, 2. a small off-centre distortion of the defect, and 3. a quadratic electron-lattice interaction. We will show in the discussion of the experimental data that all three effects contribute to the observed dichroism, but the main contribution comes from the first and second effects mentioned above.

3. Theory

To investigate the interaction between the electronic states of the defect and the ionic displacements, it is convenient to classify the electronic wave functions and the normal coordinates $Q(l)$ of the perturbed lattice according to their transformation properties under the elements of the point group of the defect site. For well localized defects it is sufficient to consider the interaction within the octahedral complex $\text{Ag}^+(\text{Cl}^-)_6$ or $\text{Cu}^+(\text{Cl}^-)_6$ and introduce the symmetry coordinates $q_{\alpha i}$ of the complex which are basis functions of the irreducible representations Γ_{α}^i of O_h (i denotes the row index). Small deviations from O_h -symmetry due to lattice vibrations and static distortions (Jahn-Teller effect, off-centre displacement) of the lattice cell will be treated as perturbations. The symmetry coordinates $q_{\alpha i}$ are linear combinations of the normal coordinates $Q(l)$ of the perturbed lattice:

$$q_{\alpha i} = \sum_l c_{\alpha i}(l) Q(l). \quad (1)$$

Each symmetry coordinate is associated with a distortion with a potential energy $\frac{1}{2} \omega_{\alpha}^2 q_{\alpha i}^2$ where ω_{α} is an effective frequency of the complex.

The Hamiltonian H of the system

$$H = H_e + H_1 + H_{e1} \quad (2)$$

consists of the Hamiltonian of the defect electrons H_e , the lattice Hamiltonian H_1 , and the operator of the electron-lattice interaction H_{e1} . We expand the electron-lattice interaction in the Hamiltonian in terms of the symmetry coordinates $q_{\alpha i}$, taking linear (equation (3a)) and quadratic terms (equation (3b)) into account:

$$H_{e1} = H_1 + H_2, \quad (3)$$

$$H_1 = \sum_{\alpha, i} V_{\alpha i}^-(\mathbf{r}) q_{\alpha i}, \quad (3a)$$

$$H_2 = \sum_{\alpha, i} \sum_{\beta, j} V_{\alpha i \beta j}^-(\mathbf{r}) q_{\alpha i} q_{\beta j} + \dots \quad (3b)$$

\mathbf{r} denotes the set of electronic coordinates and the upper sign the parity of the distortion. $V_{\alpha i}^-(\mathbf{r})$ has the same transformation properties as the i -th basis func-